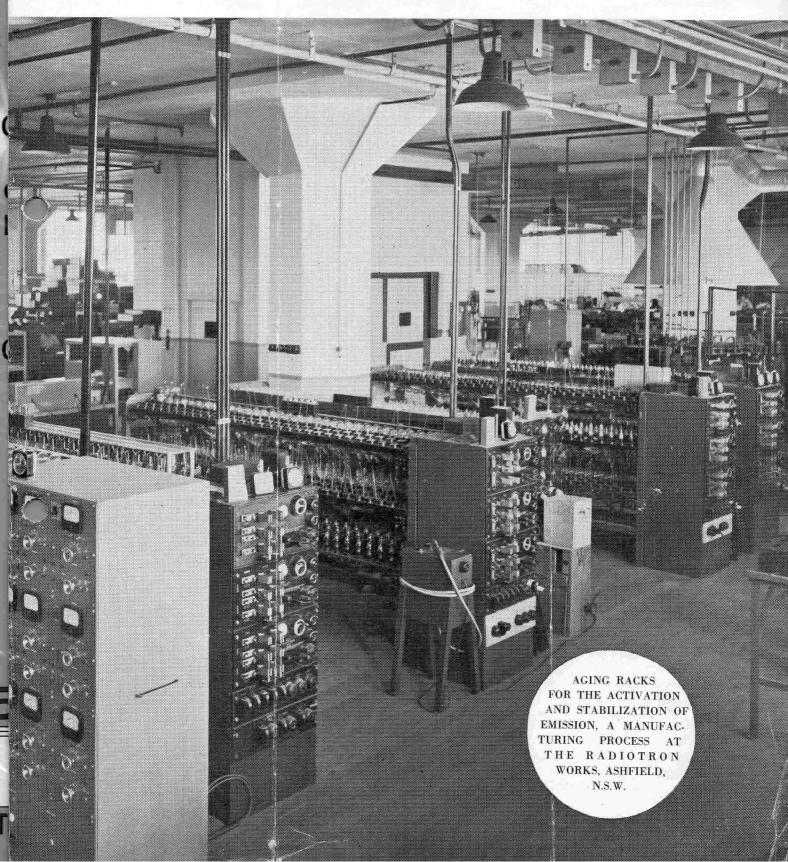
Ladiotronics_

Number 126.

JULY—AUGUST

1947



RADIOTRONICS

Editorial - -

In this issue we publish an R.C.A. Application Note on the input admittance of receiving valves. The data is of particular interest to designers of receivers to operate at the higher frequencies and gives additional information which can be used in conjunction with the design of the f-m receiver detailed in Radiotronics 125. The work on this latter receiver is well advanced and the second article in the series will be published in the next issue.

At a later date it is intended to publish details

of the equivalent noise resistances of various types of receiving valves and to outline methods of calculating input circuit noise for various types of receivers. This data in conjunction with the information published on input admittance will greatly assist designers in selecting the most suitable valve for a particular application, and will tend to overcome many of the misconceptions regarding the best valve types for use as r-f amplifiers and mixers at v-h-f and u-h-f.

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Technical Editor

F. Langford-Smith, B.Sc., B.E.

Radiotronics is issued six times a year and the annual mailing fee is 2/6. All communications, subscriptions and change of address notices should be directed to the Valve Company—except in New Zealand, where correspondence should be addressed to the National Electrical and Engineering Co. Ltd., 286-288 Wakefield Street, Wellington.

Published by the Wireless Press for Amalgamated Wireless Valve Company Pty. Ltd. 47 York Street, Sydney, N.S.W.

Information in Radiotronics may be republished without restriction provided that due acknowledgment is given to Radiotronics.

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OUR COVER

This shows a section of the battery of aging racks in which each type of valve is placed for an average of thirty minutes. During this time various voltages applicable to the type are applied. Valve production requires use of racks for 24 hours a day.

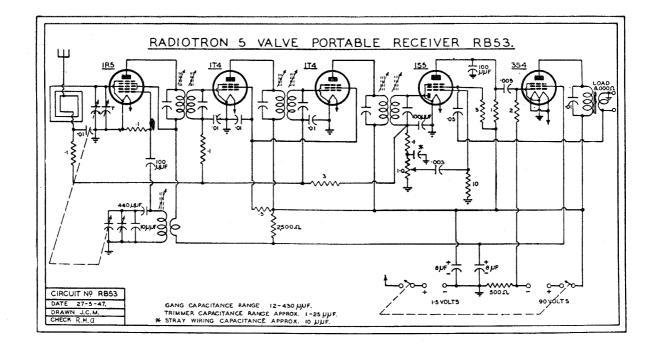
Radiotron Receiver RB53

A 5 VALVE PORTABLE RECEIVER

By R. H. ASTON, A.M.I.R.E. (Aust.)

The design of a battery powered portable receiver is essentially a compromise between several conflicting factors. Principally, the need for high sensitivity and power output have to be balanced against high current drain from the battery and subsequent high operating costs. The requirement of high sensitivity for reasonable battery drain can be satisfied without much difficulty. The other problem of obtaining high output economically does not appear to be amenable to solution. With an output from the power valve of the order of 270 milliwatts and a normal output transformer efficiency of 50 per cent., the power supplied to the voice coil of the speaker will be probably about 135 milliwatts. Then if, for space considerations, the speaker is the 5 inch or 6 inch type and is fitted in the usual small case, the efficiency of the transfer of electrical to acoustic energy will be very low indeed. Added to this is the fact that the receiver will normally be operated in the open air where there will be very little reinforcement of sound by reflection from walls, etc. So that all things considered, a user must be prepared to accept somewhat less volume than might be desirable. However, there is a peculiar attraction in operating a radio in remote places and when relaxed in holiday mood a listener is far more tolerant in regard to fidelity than he would be at home. There is, undoubtedly, a demand for receivers of this type and accordingly we publish here a design for a receiver which is particularly sensitive and which provides an electrical output more than double that available from the 2 volt type 1L5G operating under similar conditions of 90 volts plate supply.

In the interests of improved output power it is highly desirable to use the largest and most efficient speaker which can be accommodated — even if this means increasing the case dimensions somewhat. The importance of the speaker sensitivity can best be illustrated by pointing out that changing from one size to the next larger usually more than doubles the output. Furthermore, the operating costs are not increased at all.



General Description of Receiver

All the valves used are of the 1.4 volt miniature type which provide improved performance and economy together with the advantages of small physical dimensions.

The converter valve is the 1R5 which is a pentagrid type of the same general design as the 6SA7. The oscillator feedback arrangement follows the lines suggested in a previous article published in Radiotronics number 119. The feedback winding is proportioned to provide a grid current through the 100,000 ohm grid leak of approximately 210 microamps near the centre of the band. This results in good conversion gain, and reliable operation with aging batteries.

The loop aerial comprises the entire inductance for the signal frequency tuning circuit, and is provided with a tap at three turns from the bottom of the winding for the addition of an external aerial when this is required. With this simple arrangement it is not feasible to obtain uniform sensitivity over the band either with loop or external aerial pick up. However this is not a serious disadvantage and the complication of compensating for the rising impedance characteristic of the tuned circuit towards the high frequency end of the band does not appear to be warranted.

Amplification at intermediate frequency is accomplished by two stages using 1T4 valves operating in a very economical condition which results in cathode currents of only 0.22 milliamps for each valve. The gain of these two stages is approximately 1,000 times; which is much greater than could be obtained from a single stage operated under optimum conditions and consuming ten times the B battery current. Because of the low grid to plate capacitance in these valves, and the good layout used, it was found unnecessary to neutralize individual stages. It should be emphasised that careful layout is essential, because with such high gain at intermediate frequency, a very small degree of coupling between input and output circuits will promote oscillation. In our experimental model it was found possible to more than double the overall gain, by raising the 1T4 screen voltage, and still retain satisfactory stability. So that, for the gain used, quite stable operation can be expected without the need for special precautions. The overall sensitivity is about as high as can be usefully employed, as the input for the standard absolute output of 50 milliwatts is only slightly greater than the noise generated in the input circuits.

Negative feedback is employed to reduce audio distortion. Out of phase voltage is fed back from the voice coil to the screen of the 1S5, causing a

reduction in gain of the order of 1.75 times. Although rather more feedback might be desirable, the method used is a very simple one which involves no extra components.

The method of biasing the output valve shown in the circuit diagram is considered preferable to the possible alternative of deriving a negative potential from the grid leak of the oscillator valve. This is because of the rather wide variations of bias which would be encountered with different converter valves, and aging valves and batteries.

The use of an 8 microfarad capacitor from the screens of the 3S4 and the 1R5 to ground is to ensure adequate bypassing of the audio frequencies. It is possible to economize by using a radio frequency bypass only—of the order of 0.01 microfarad. The resulting loss in audio frequency gain is approximately 1.6db, but the fidelity is not perceptibly altered.

As the method used to determine the overall sensitivity with loop pick-up may be of general interest, the procedure is described in detail. A two turn coil was wound on an eight inch diameter former and provided with a stand to place it with its axis horizontal and about ten inches above the bench. The outer conductor of the signal generator cable was soldered directly to one side of the coil. The other side of the coil is connected through a noninductive resistor of 400 ohms less the generator output resistance to the inner conductor. It is important that the lead should be well shielded right up to the coil so that there is negligible pick-up in the receiver when the axis of the test loop is turned at right angles to the receiver. It is also important that the distance to surrounding objects such as the walls of a screened room should be much greater than the distance between test loop and receiver.

With the earthy end of the test loop towards the receiver, the receiver loop is placed co-axially with the test loop and spaced a distance of 39 inches between centres of the two coils. Under these conditions.

$$e = \frac{E}{100}$$

where,

e = equivalent field intensity in microvolts per metre at the receiver loop antenna

E = signal generator output in millivolts.

The method follows information published in the I.R.E. Standards on Radio Receivers 1938, and Sturley's Radio Receiver Design volume two, with a simplification brought about by including a series resistor to enable the current through the loop to be expressed in terms of voltage independently of frequency. As the inductance is of the order of 2.45 \$\mu H\$ this introduces negligible error at frequencies up to and including the broadcast band.

21.0

24.0

27.0

32.0

34.0

TEST RESULTS

Valve 3S4 1S5 1T4 1T4 1R5	Grid -7.0V 0V 0V 0V	Screen 67.5V — 33.0V 33.0V 67.5V	Plate 78.0V — 83.0 83.0 67.5	Filament 1.4V 1.4V 1.4V 1.4V 1.4V	(B batt. of 45V + 1) Maximum output inputs for an output of input to loop 1700μV/m 830μV/m 720μV/m	1.1V) 25mW	
	B — 90V urrent 13.2	m A			AUTOMATIC Input	VOLUME (CONTROL Output
							db (0=60 mW)
total A c	urrent 0.3A	(nominai)			$3\mu V$	6.6	<u>6.0</u>
					$10\mu V$	8.8	0
					$30\mu V$	1.32	+3.8
					$100 \mu V$	1.76	7.0
					$300\mu V$	2.42	10.0
					1mV	3.3	13.0

10 mV

30 mV

100mV

300mV 1V

SELECTIVITY

			Input (For signal output equal to noise
Input to	Frequency	Input	Ratio output)
3S4 control grid	400 c/s	2.1V	_
1S5 control grid	400 c/s	0.056V	37.5
1S5 diode	455 Kc/s	0.47V	
1T4 control grid	455 Kc/s	1.57mV	30
1T4 control grid	455 Kc/s	460μV	34.0
1R5 signal grid	455 Kc/s	15µV	30.6
1R5 signal grid	600 Kc/s	16µV	28.8
1R5 signal grid	1000 Kc/s	$12\mu V$	35.0
1R5 signal grid	1400 Kc/s	$14 \mu V$	32.8
Loop	600 Kc/s	$101 \mu V/m$	$-8.8\mu V/m$
Loop	1000 Kc/s	$47\mu V/m$	$-$ 37 μ V/m
Loop	1400 Kc/s	$54\mu V/m$	$-46\mu V/m$
External aerial	1400 Kc/s	$9.5 \mu V$	7.4μV
External aerial	1000 Kc/s	$2.8\mu V$	— 2.3μV
External aerial	600 Kc/s	$2.8\mu V$	1.6μV

Inputs for an Absolute Output of 50 Milliwatts

NO SIGNAL—STATIC VOLTAGES

Times down	Bandwith Kc/s
3	7.0
10	13.3
30	19.1
100	25.2
300	30.4
1000	35.6
10000	46.2

6.05

7.15

8.8

10.45

9.9

900 Kc/s input to external aerial

DEAD BATTERY TEST

(B batt. of 45V + 1000 ohms res., A batt. 1.1V)

OSCILL	ATOR PERFOI	RMANCE
Frequency	$\mathbf{I_{c1}}$	$I_{\rm e1}$ dead battery
540 Kc/s	165µA	48µA
1000 Kc/s	212µA	65µA
1600 Kc/s	262µA	80μ A

R.C.A. Application Note AN-118

Of particular interest at the present time, when the tendency is for transmissions at the higher frequencies, are data on the short-circuit input conductance and capacitance of various types of r-f pentodes. We publish below, by courtesy of the Radio Corporation of America, an application note on this subject which gives a large amount of useful data not readily obtainable from other sources.

INPUT ADMITTANCE OF RECEIVING TUBES

This Note gives values of short-circuit input conductance and capacitance for a number of r-f pentodes at frequencies of 50 to 125 megacycles. It also describes how these values were measured and describes their application in design problems.

THEORETICAL CONSIDERATIONS

In determining tube admittances at frequencies higher than approximately 10 megacycles, it is not practicable to introduce voltages or measure them directly at the electrodes of a tube. The lead inductances and inter-electrode capacitances form a network too complex for exact analysis. The most practical method of avoiding such difficulties is to consider the tube, the socket, and the associated bypass or filter circuits as a unit, and to select a pair of accessible input terminals and a pair of accessible output terminals as points of reference for measurements. When such a unit is considered as a linear amplifier, it is possible to calculate performance in terms of four admittance coefficients. These are:

- The short-circuit input admittance, measured at the input terminals with the output terminals shorted for the signal frequency;
- The short-circuit output admittance, measured at the output terminals with the input terminals shorted for the signal frequency;
- (3) The short-circuit forward admittance, which is the quotient of current at the output terminals divided by the voltage between the input terminals, with the output terminals shorted for the signal frequency; and,
- (4) The short-circuit feedback admittance, which is the quotient of current at the input terminals divided by the voltage between the output terminals, with the input terminals shorted for the signal frequency.

Each of these admittances can be considered as the sum of a real conductance component and an imaginary susceptance component. In the cases of the input and output admittances, the susceptance components are nearly always positive (unless the tube is used above its resonant frequency) and it is, therefore, common practice to present the susceptance data in terms of equivalent capacitance values. The short-circuit input capacitance is the quotient of the short-circuit input susceptance divided by 2π times the frequency. The capacitance values are more convenient to work with than the susceptance values,

because they vary less rapidly with frequency and because they are directly additive to the capacitances used in the circuits ordinarily connected to the input and output terminals. However, when frequencies higher than those considered in this Note and resonant lines used as tuning elements are involved, the use of susceptance values may be preferable.

An equivalent circuit for the system discussed can be drawn as follows:

Represent the short-circuit input admittance by a resistor and capacitor in parallel across the input terminals. The resistor is equal to the reciprocal of the short-circuit input conductance and the capacitor is equal to the short-circuit input capacitance. Represent the short-circuit output admittance by a similar combination across the output terminals. Draw a constant-current generator at the output terminals producing a current equal to the product of the short-circuit forward admittance and the input voltage. Draw a similar generator at the input terminals producing a current equal to the product of the short-circuit feedback admittance and the output voltage. This circuit differs in one respect from the equivalent circuit usually drawn at low frequencies: the low-frequency circuit generally shows the feedback capacitance as a passive element between input and output terminals with a single constant-current generator representing the transconductance. The latter circuit simplifies the drawing but complicates the algebra.

The principal differences in the performance of receiving tubes at high and low frequencies can be attributed to the variations of the short-circuit input conductance with frequency. The other short-circuit admittance coefficients, however, contribute to the input admittance actually observed in an operating circuit as follows:

The voltage gain from the input to the output terminals is the ratio of the short-circuit forward admittance to the sum of the short-circuit output admittance and the admittance of the load connected between the output terminals.

The added current at the input terminals due to the presence of the load is the product of the input voltage, the voltage gain, and the shortcircuit feedback admittance.

Table I — Short-Circuit Input Admittance Data at 100 Megacycles.

				Single	le-Ended Met		Metal Types		Miniature Types					
			6SJ7	6SK7	6SH7	6SG7	6A87	6AC7	9001	9003	6 AU 6	6846	6AG5	6AK
i	Plate Voltage	Volts	250	250	250	250	300	300	250	250	250	250	250	12
2.	Screen Voltage	Volts	100	100	150	125	200	150	100	100	150	100	150	12
3.	Grid Voltage	Volts	-3.2	-2.8	-1.0	-1.0	-2.8	-2.2	-2.9	-2.9	-1.2	-1.3	-1.8	-2.
١.	plate Current	Ma.	3.0	9.2	12.2	11.8	12.5	10.0	2.0	6.7	10.8	11.0	7.4	7.
š.	Screen Current	Ma.	0.9	2.7	4.2	4.5	3.1	2.4	0.8	2.5	4.4	4.4	2.4	2.
۶.	Transconductance	μ mhos	1490	1980	5500	4950	4700	9450	1450	1900	5250	4300	4950	495
нов	RT-CIRCUIT INPUT CAPACI	ITANCE:										r		
7.	Tube operating as in lines 1 to 6	<i>μμ</i> †	9.5	9.4	13.9	13.6	12.4	18.0	5.5	5.0	10.0	9.6	9.3	6.
3:	Tube Cutoff	$\mu\mu$ f	8.5	8.2	11.6	11.3	10.6	15.6	5.0	4.5	7.5	7.4	7.9	5.
€.	Tube Cold	μμε	8.1	8.1	11.0	11.0	10.2	14.5	4.9	4.4	7.1	6.9	7.4	5.
.0.	Capacitance Increase (Cold to Cutoff)		0.4	0.1	0.6	0.3	0.4	1.1	0.1	0.1	0.4	0.5	0.5	0.
11.	Capacitance Increase (Cutoff to operating)	μμf	1.0	1.2	2.3	2.3	1.8	2.4	0.5	0.5	2.5	2.2	1.4	, 1 .
SHOP	RT-CIRCUIT INPUT CONDUC	TANCE:											·	
12.	Tube operating as in lines 1 to 6	µmhos	5 2 8	503	632	604	79-2	1970	61.7	66.0	759	603	326	13
13.	Tube Cutoff	μ mhos	101	72	98	99	112	240	11.6	9.4	25	28	40	13
4.	Tube Cold	μ mhos	66	66	95	96,	86	162	11.1	8.4	16	21	28	1
15.	Conductance increase (Cold to Cutoff)	μmhos	35	6	3	3	26	78	0.5	1.0	9	. 7	12	
ί6.	Conductance Increase (Cutoff to Operating)	μmhos	427.	431	534	505	680	1730	50.1	56.6	734	575	286	12
7.	Socket Capacitance	f عرعز			1.6							0.8		
	Socket Conductance	µmhes			26.6							2.3		
9.	Grid-to-Cathode Capacitance*	μμf	2.14	2.01	3.59	3.42	3.15	5.26	1,64	1.31	3.10	3.02	3.35	2.3

The total input admittance is therefore the sum of the short-circuit input admittance and the product of voltage gain and short-circuit feedback admittance. The phase angle of the added component is the sum of the phase angle for the voltage gain and the phase angle for the feedback admittance.

MEASUREMENT OF SHORT-CIRCUIT INPUT ADMITTANCE

The circuit diagram for the equipment used in obtaining high-frequency admittance data is shown in Fig. 1. Fig. 2 is a cutaway view showing the physical arrangement of the circuit elements. The tube under test is used as a part of a resonant circuit which includes a continuously-variable inductor and a small concentric-cylinder capacitor built on a micrometer head. The high-potential end of the inductor is connected to the high-potential electrode of the micrometer capacitor inside a cylindrical cavity open at the top. Fig. 2 also shows the positions of some of the bypass capacitors used with the octal socket. These are button-type, silver-mica capacitors of

approximately 500-µµf capacitance. The socket is of the moulded phenolic type. Terminals 1, 3, 5, and 7 are connected directly to the mounting plate at a point directly below the terminal in each instance. Terminals 2 (heater) and 6 (screen grid) are bypassed to ground, and a lead is brought from each of these terminals through the mounting plate to a small r-f choke and a second bypass capacitor. Terminal 8 (plate) is bypassed and fitted with a spring contacting the terminal for one of the circuits. Terminal 4 (grid) has only the contact spring. A similar arrangement is used with miniature tubes. In this case, the socket is of the wafer type with mica-filled rubber insulation. Terminals 2, 3, and 7 are grounded and terminals 4, 5, and 6 are bypassed to ground. Terminals 1 (grid) and 5 (plate) have contact springs. The bypass capacitors are closer to the mounting plate than in the case of the octal socket; the capacitors at terminals 4 and 6 overlap the capacitor to terminal 5. A 10-ohm resistor, mounted inside a cylindrical shield to minimise lead inductance, is connected between socket terminal 5 (plate) and the bypass capacitor. This component was added to suppress a parasitic oscillation observed with certain type 6AK5 tubes. The resistor was

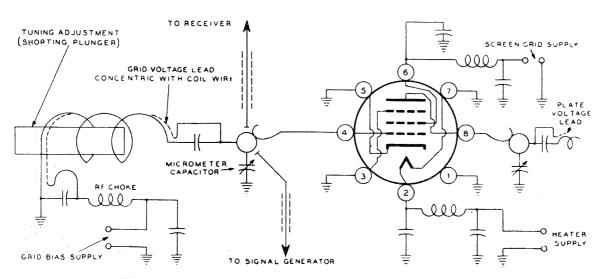


Fig. 1 — Circuit Diagram of Equipment Used for Measurement of Short-Circuit Input Admittance.

found to have no measurable effect on inputadmittance readings obtained with tubes, either of the 6AK5 type or of other types, not subject to the parasitic oscillation.

In order to obtain susceptance values, the circuit must first be calibrated for the capacitance required for resonance at each test frequency. The circuit is calibrated by determining the inductor settings for

resonance with each of a number of small, discshaped, calibrating capacitors substituted for the tube. The insert in the lower left corner of Fig. 2 shows a cutaway view of the cavity with one of the calibrating capacitors in place. The length of the phosphor-bronze contact spring used with the calibrating capacitors is approximately the same as that used with the tube. Thus, the inductance of this

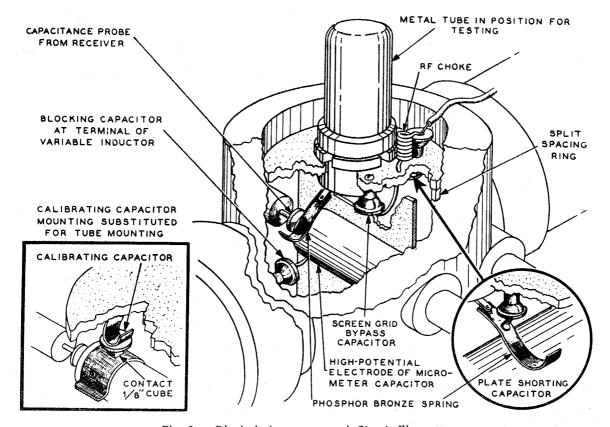


Fig. 2 — Physical Arrangement of Circuit Elements.

lead is accounted for in the calibrating procedure. The reference terminals for the tube are the socket plate and the grid terminal of the socket or, possibly, a point on the grid terminal a little inside the body of the socket. The calculated inductance of the contact spring is 4.5 milli-microhenries per centimeter of length within about \pm 25 per cent., but the

difference in effective lengths of the springs for the socket connection and the calibrating connection is not more than 2 or 3 millimeters.

Conductance values for the tubes are obtained by the susceptance-variation method. In this method, the circuit is detuned with either the capacitor or the inductor adjustment to a point giving half the power

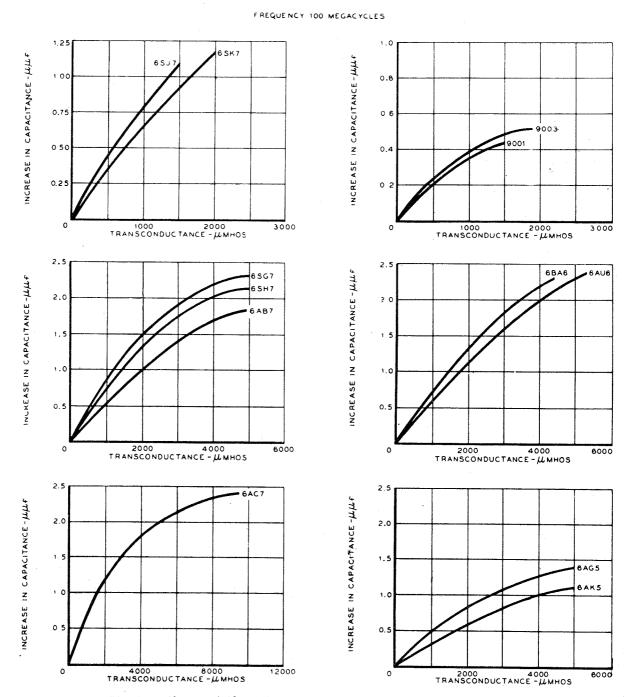


Fig. 3 — Change of Short-Circuit Input Capacitance with Transconductance.

output observed at resonance. The increment in susceptance, determined from the capacitance calibration curves, is then equal to the circuit conductance. In practice, the mean value obtained by using the half-power points on each side of resonance is used. The range of the micrometer capicitor is sufficient for measurements of the circuit with the calibrating capacitors, with most cold tubes, and with some tubes under operating conditions. For other cases, adjustment of the inductor is required. The calibration curves used at each test frequency are:

- (1) Capacitance for resonance
- (2) Slope of the capacitance curve
- (3) Conductance at resonance of the circuit with the calibrating capacitors.

These three quantities are plotted against the inductor adjustment readings. Since the conductance values for the calibrating capacitors themselves are too small to affect the calibration appreciably, the conductance curve corresponds, essentially, to the equipment.

MEASUREMENT RESULTS

The results of measurements on twelve types of rf pentodes are given in Table I and Figs. 3 to 8. Table I gives data obtained at 100 megacycles under a typical operating condition, a hot cutoff condition, and for the cold tube. A representative sample of each type was chosen. Lines 1 through 6 give voltages, currents, and transconductance values for the tubes tested. Generally, the control-grid bias was adjusted to give a typical plate-current value. This procedure tends to minimize the effects of contact-potential changes which might occur during the series of tests made on each tube.

The short-circuit input capacitance values at 100 megacycles for the twelve tube types are given in lines 7, 8 and 9 of Table 1. The increase (line 10) observed from the cold condition to the hot cutoff condition is low enough in each instance so that it may reasonably be attributed to thermal expansion of the cathode. The increase in capacitance from cutoff to the chosen operating condition is caused primarily by the space charge between cathode and control grid. The curves of Fig. 3 show this increase as a function of transconductance. The increase in capacitance with transconductance is not a high-frequency effect and the curves and data apply to lower frequencies except for minor corrections due to inductances in the tube leads.

Calculations based on capacitance data obtained in the frequency range of 50 to 125 megacycles indicate an increase in capacitance between zero and 100 megacycles of 1.2 µµf for type 6AC7, 0.8 µµf for type 6SH7 and 0.2 µµf for type 6BA6. The apparent series-inductance values corresponding to these in-

creases are 9, 9, and 4 milli-microhenries. The increase of capacitance with frequency for cold tubes is found to be a little greater than the increase for tubes under operating conditions, so the change in capacitance with transconductance is generally a little greater at low frequencies than at 100 megacycles. The increases in capacitance and apparent seriesinductance values for the other tube types are inside the ranges of the values given above. Line 19 of Table 1 gives the cold grid-to-cathode capacitances. The calculated increase in capacitance for a tube of ideal parallel-plane structure, under the assumption that the emitted electrons have zero initial velocity, is one-third of the grid-to-cathode capacitance. The observed increases (line 11, Table 1) are much greater, but the curves for increase in capacitance with transconductance show that even these increases do not represent saturation values.

The short-circuit input conductance values observed at 100 megacycles are given in lines 12, 13, and 14 of Table 1. Fig. 4 shows the variation of input conductance with transconductance. The increases in input conductance values observed from the cold to the hot cutoff conditions (line 15, Table 1) are erratic, but the magnitudes of these differences are small in comparison with values under operating conditions. The curves of input conductance versus transconductance show a wide variety of shapes and indicate that in some cases it is very poor approximation to assume that the input conductance is proportional to the transconductance. Curves of short-circuit input conductance versus frequency for hot and cold tubes are shown in Figs. 5 and 6. In Fig. 5, the curves for most of the types tested indicate that, to a satisfactory degree of approximation, the conductance is proportional to the square of the frequency. Type 6AC7 was the only tube showing marked increase in capacitance due to lead inductance, and when the appropriate correction to the input conductance data is applied, the slope of the curve for this type corresponds more closely to the square-law relation. The most conspicuous exceptions to a square-law relation between conductance and frequency were observed for types 6SG7 and 6SH7. Curves for two-type 6SG7 tubes and one type 6SH7 tube are shown; the curves for the 6SH7 and one of the 6SG7 tubes are coincident. The shapes of the curves for these tubes suggest the possibility of a resonance effect involving the internal leads and capacitances. The curve for type 6SJ7 also shows some irregularity. In spite of these irregularities, however, the use of the values in line 12 of Table 1 and an assumed square-law variation with frequency can be recommended for situations in which high accuracy is not required.

The curves of Fig. 6 show that the conductance of a cold tube cannot be represented as a linear function of frequency in the 50-to-125-megacycle range. The shapes of the observed curves can be accounted for by assuming that the series resistance of the tube leads is an important factor in determining the conductance

in this range. The resistance of the leads will increase with the square root of the frequency because of skin effect; the combination of this resistance in series with the tube input capacitance gives an effective conductance value across the terminals proportional to the five-halves power of the frequency. The series-resistance values appear to be of the order of one ohm for all the tube types. In the case of the metal

types, there is evidence of some dielectric loss that is linear with frequency. The octal socket, of molded phenolic construction, shows a predominance of dielectric losses. The readings for the miniature socket could be accounted for by assuming a ten-ohm series resistance, but this is not reasonable in view of the results for tubes in the socket. The readings of conductance with the miniature socket are too low

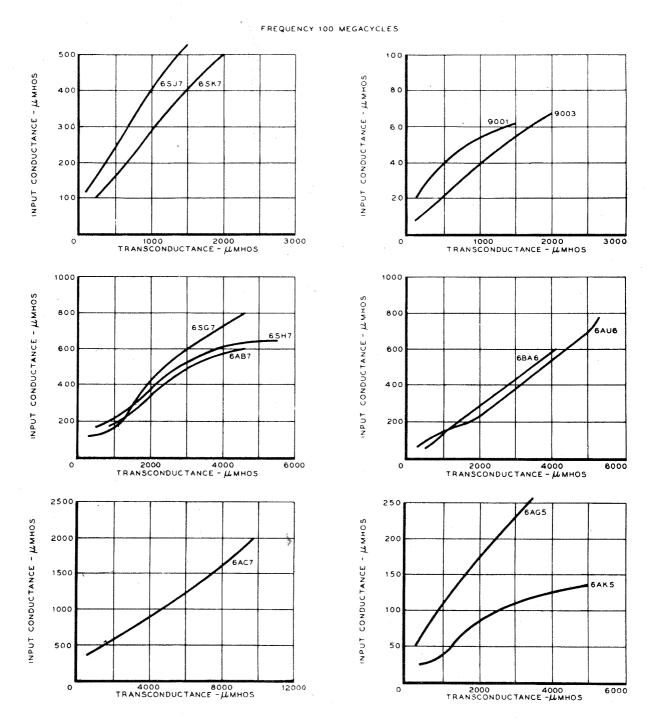


Fig. 4 — Change of Short-Circuit Input Conductance with Transconductance.

for accurate determination with the equipment used. The general conclusions that may be drawn from the curves of Fig. 6 are that the cold input conductance values for the tubes tested are almost negligible in comparison with the operating values in the 50-to-125-megacycle range, and that dielectric losses are responsible for the smaller part of even the cold input conductance values.

The principal components of the short-circuit input conductance at the high frequencies are:

- A component due to the time required for electrons to pass from the cathode through the control and screen grids.
- (2) A component due to the inductance of the cathode lead.

A qualitative explanation of the first effect can be given as follows:

- 1. The grid of the tube can be considered as one electrode of a capicitor. When no current is flowing, the cathode and the screen grid, both at zero potential to signal frequency, form the other electrode.
- 2. When current is flowing through the tube, some of the lines of force from the grid terminate on electrons, and the effect is similar to a movement of the cathode toward the grid.
- 3. When the potential of the grid is varied slowly, the charge increases or decreases in phase with the variation of potential in the same manner as it would in the case of a capacitor. The charging current is proportional to the rate of change of the charge. For a sinusoidal variation of potential, the charging current leads the voltage by 90°.
- 4. When the potential of the grid is varied rapidly, the time of maximum charge is a little later than the time of maximum voltage. This occurs because the electrons starting from the cathode at the time the voltage reaches its maximum require an appreciable time to traverse the spaces between cathode and control grid and between control grid and screen grid. These electrons constitute part of the charge so long as they are in either of these two regions.
- 5. Since the charge now lags behind the voltage, the charging current will lead the voltage by less than 90°. This means that there will be a component of current in phase with the voltage. The corresponding component of input conductance is the quotient of this component of current divided by the voltage.
- 6. The magnitude of the charging current is proportional to the frequency. The phase angle representing the lag of the charging current with respect to ninety degrees is also proportional to frequency. Consequently, the in-phase component of current (and, of course, the component of conductance derived from this source) is proportional to the square of the frequency.
- 7. These considerations indicate a linear dependence of input conductance on both the increment of

capacitance due to space charge and (for small transit angles) on the transit time.

The second principal component of the short-circuit input conductance at high frequencies, the component due to the inductance of the cathode lead, can be evaluated as follows:—

```
Let C_{gk} = capacitance, grid to cathode
                = inductance of cathode lead
                        (to ground)
                = transconductance, grid to cathode
        g_{kg}
                = total input voltage
        \mathbf{E_1}
        E_{gk}
                = voltage, grid to cathode
        E_k
                = voltage, cathode to ground
                = current, grid to cathode
        i_k
                   current in cathode lead
        f
                    frequency
                    2\pi f
        ω
                = E_{gk} + E_{k}
Then E<sub>1</sub>
        E_k
                    j_{\omega}L_{k}i_{k}
                = \stackrel{'}{E}_{gk} g_{kg}
= \stackrel{'}{E}_{gk} (1 + j_{\omega} L_k g_{kg})
        i_k
    so E<sub>1</sub>
 also i_{gk}
                = j_{\omega}C_{gk}E_{gk}
  Let Y<sub>a</sub>
                = the component of input admittance
                        corresponding to igk
                = the real (conductance) component
        ga
                       of Y_a
                = j\omega C_{gk} / (1 + j\omega L_k g_{kg})
= (j\omega C_{gk} + \omega^2 L_k C_{gk} g_{kg}) /
 then Ya
                                               (1+\omega^2L_k^2g_{kg}^2)
```

When the term $(\omega^2 L_k{}^2 g_{kg}{}^2)$ is small compared with unity,

$$g_a = \omega^2 L_k C_{gk} g_{kg}$$
, approximately

The conductance g_a results from the shift in phase of the voltage E_{gk} with respect to the total input voltage E_1 , and the consequent shift in phase of the current i_{gk} with respect to a quadrature relation to E_1 . Currents flowing through the grid-to-screen capacitance or any other grid-to-ground capacitance are not affected by the presence of the voltage at the cathode, so the grid-to-cathode capacitance is the only component of input capacitance involved. A negative component of input conductance results from the inductance of the screen-grid lead in a pentode. The value of this component is proportional to the grid-to-screen capacitance and is equal to:

 $g_b = -\omega^2 L_2 C_{12} g_{21}$ $g_b = a$ component of input conductance $L_2 = inductance$, screen grid to ground $C_{12} = capacitance$, control grid to screen grid $g_{21} = transconductance$, control grid to screen

Since the components of input conductance derived from cathode-lead inductance and from screen-grid lead inductance both vary with the square of the frequency, it is very difficult to distinguish them from the component resulting from electron transit time. For the tube types considered in this Note, calculated values of the input conductance components due to lead inductances at 100 megacycles range from about 10 per cent. to 30 per cent. or

40 per cent. of the differences between operating-condition and cutoff values of short-circuit input conductance given in line 16, Table I. The measured values of grid-to-cathode capacitance (Line 19, Table I), increased by the cold-to-cutoff and cutoff-to-operating increments (lines 10 and 11, Table I), are used. Cathode-lead inductance values of 5 to 10 milli-microhenries for miniature tubes and 12 to 16

milli-microhenries for metal tubes are estimated. The lower values are used for tubes having two cathode leads. Allowance is made for the inductance of the screen-grid lead by using the grid-plate transconductance rather than the grid-cathode transconductance in the calculations. This is equivalent to an assumption that the two LC products involved are equal.

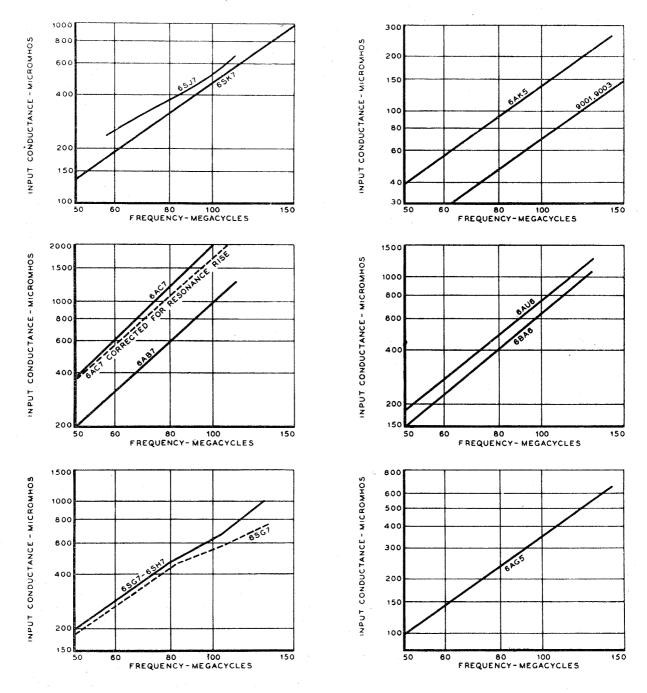


Fig. 5 - Change of Short-Circuit Input Conductance with Frequency (Typical Operating Conditions).

```
Example: Type 6AK5
        Let g = the net input conductance component
                   due to the cathode and screen-grid
                   lead inductances.
      C_{gk} = 2.3 + 0.3 + 1.1 = 3.7 \times 10^{-12} farads
                                   = 5 x 10^{-9} henries
      L<sub>k</sub> (estimated)
                                   =4950 \times 10^{-6} \text{ mhos}
                                   = 100 \times 10^6 cycles
                                    = 628 \times 10^6
then ω
                                    =18.5 \times 10^{-21}
      L_k C_{gk}
                                    =0.396 \times 10^{18}
                                    =0.0076
      \omega^2 L_k C_{\mathbf{g}k}
                                    =36.1 \times 10^{-6} \text{ mhos}
and g = \omega^2 L_k C_{gk} G_m
```

The cutoff-to-operating increase in short-circuit input conductance for this type was observed to be 113 micromhos, so the lead-inductance components, as determined above, account for 32 per cent. of this quantity. The assumed cathode—lead inductance, five milli-microhenries, is equivalent to the inductance of a 20-mil wire one centimeter long, with its centre one-tenth of an inch from the centre of a conductor carrying the return current. The total length of a lead from the socket mounting plate to the mount structure of the tube is more than one centimeter, but two separate socket leads and base pins are used in making connections to the cathode of type 6AK5.

APPLICATION OF INPUT CAPACITANCE **MEASUREMENTS**

The change in input capacitance with transconductance, observed when the control-grid bias is changed, has the effect of changing the resonant frequency of a circuit connected to the input terminals of a tube. The relative effect can be limited by using a large amount of fixed capacitance in parallel with the input, or the change in capacitance can be reduced by the use of an unbypassed cathode resistor in series with the cathode. The change in input capacitance with transconductance is most likely to cause difficulty in an intermediate-frequency amplifier. The frequencies of most immediate concern for this purpose are approximately 10 and 20 megacycles.

The data from Table 1 can be used to determine the approximate amount of unbypassed cathode resistance needed to compensate for the change in capacitance with transconductance. The voltage drop across an unbypassed cathode resistor is the product of its resistance, the grid-to-cathode transconductance, and the grid-to-cathode voltage. The total input voltage is the sum of the voltage at the cathode and the voltage between grid and cathode. The current flowing into the grid-to-cathode capacitance is the product of gridto-cathode voltage and the susceptance of the grid-tocathode capacitance. The increase in capacitance with transconductance applies to the grid-to-cathode component. To obtain full compensation for capacitance change it is necessary to make the product of cathode resistance and grid-cathode transconductance equal to the ratio of the increase in capacitance to the grid-tocathode capacitance. The grid-to-cathode transconductance is approximately the product of grid-to-plate

transconductance, and the ratio of total cathode current to plate current. The resistance values ascertained by this method range from 32 ohms for type 6AC7 to 230 ohms for type 6SK7. The unbypassed cathode resistor reduces the effective transconductance by the ratio:

$$1/(1 + r_k g_{kg})$$

Values for this ratio range from 0.78 for type 9001 to 0.58 for type 6AU6. The bias voltages developed across the cathode resistors required for compensation with types 6SH7, 6SG7, 6AU6, and 6BA6 exceed the typical operation values given in Table 1, so the transconductance would be reduced some more on that account.

Since the ratio of the increment in capacitance to the grid-to-cathode capacitance determines the resistor value and the consequent reduction in gain, an increase in the cold grid-to-cathode capacitance can lead to improved overall results. This can be accomplished by connecting a small capacitor between the grid and cathode terminals at the tube socket. The use of too large a value of capacitance for this purpose would have an unfavourable effect on the input conductance. For type 6BA6 the hot cutoff grid-tocathode capacitance is 3.5 µµf and the increment from cutoff to operating conditions is 2.2 µµf. The ratio of these two values is 0.63. Since the gridcathode transconductance is 6000 micromhos, a 105-ohm resistor is required. With this resistor, the grid-plate transconductance would be reduced from 4300 to 2560 micromhos. To obtain even this value it would be necessary to return the resistor to a point about 0.3 volts negative with respect to the grid. If the grid-to-cathode capacitance is doubled by adding 3.5 µµf between the grid and cathode terminals of the socket, the ratio of the increment to the capacitance at cutoff becomes 0.31, the resistor required is 52 ohms, and the effective grid-plate transconductance with this resistor is 3300 micromhos. The 105-ohm resistor in series with 3.5 μμf results in an input conductance component at cutoff of 5.1 micromhos at 10 megacycles or 20.4 micromhos at 20 megacycles; the 52-ohm resistance in series with the 7.0 µµf capacitance results in an input conductance component of 10.2 micromhos at 10 megacycles or 40.8 micromhos at 20 megacycles. Application of square-law extrapolation to the 100megacycle value of input conductance for type 6BA6 leads to estimated conductances of 6 micromhos at 10 megacycles and 24 micromhos at 20 megacycles under operating conditions without the cathode resistor. The circuit conductances in 10-megacycle or 20 megacycles if amplifiers are generally considerably higher than these values. The increase in input conductance at cutoff limits the amount of capacitance which can be added between grid and cathode.

The curves of Fig. 7 show the results obtained with the 6BA6 at a frequency of 100 megacycles by using an unbypassed cathode resistor and adding grid-tocathode capacitance. The conductance values to be expected at 10 megacycles and 20 megacycles can

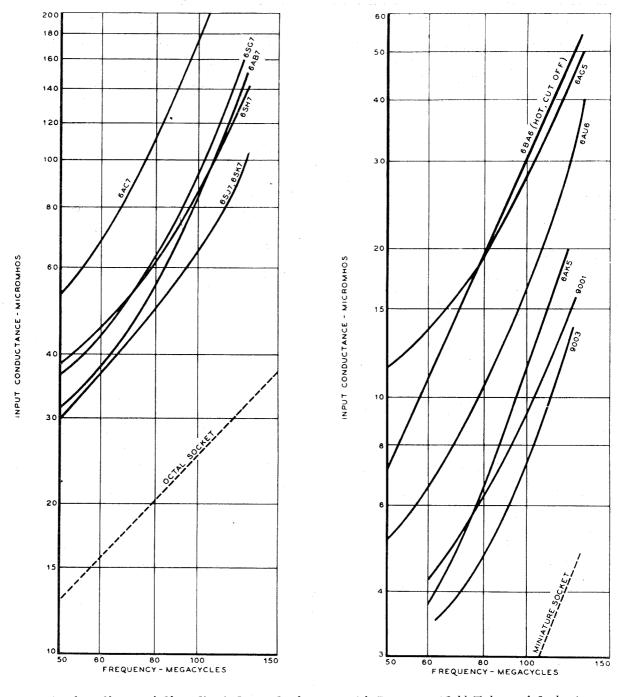


Fig. 6 — Change of Short-Circuit Input Conductance with Frequency (Cold Tubes and Sockets).

be estimated by dividing the values from Fig. 7 by 100 and by 25. The agreement between these measured results and the calculations given above is very good. Types 6SG7, 6SH7, 9001, 9003, 6AG5, and 6AK5 have relatively high plate-to-cathode capacitances because of internal connections between their suppressor grids or beam-confining electrodes and

their cathodes. The use of an unbypassed cathode resistor results in an increase in the short-circuit feedback admittance when the plate-to-cathode capacitance is high. Consequently, circuits using tubes of the above-mentioned types with unbypassed cathode resistors should be carefully checked for oscillation.

APPLICATION OF INPUT CONDUCTANCE **MEASUREMENTS**

When an rf amplifier stage is connected between an antenna transformer and a converter (or a second rf stage), maximum voltage at the grid of the tube will be obtained with the transformer adjusted for matched impedances. If circuit losses are negligible, the maximum voltage gain from the antenna terminal to the grid terminal will be the square root of the ratio of antenna conductance to grid conductance. The gain from grid to plate will be the ratio of the transconductance to the conductance of the interstage circuit (including the short-circuit output conductance of the tube). The gain from antenna to plate, therefore, is proportional to the quotient of transconductance divided by the square root of the input conductance.

The following example illustrates the method by which a specified selectivity requirement can be met when the input conductance and the input capacitance for a tube are given. It is assumed that the unloaded Q value for the circuit added to obtain selectivity is independent of the L/C ratio of the circuit. The quantity Q is commonly thought of as the ratio of the reactance of the inductor to the equivalent series resistance in a circuit; however, it is also the ratio of the susceptance of the capacitance to the equivalent shunt conductance. A 100-megacycle circuit with a Q of 50 will provide voltage attenuation ratios of approximately 20 to 1 at frequencies 20 megacycles away from resonance.

EXAMPLE

```
Given:
  Tube input conductance, g<sub>1</sub> .. 500 micromhos
  Tube input capacitance, C<sub>1</sub> . . 8 micro-microfarads
  Circuit Q, unloaded ..... 200
Required:
  Loaded circuit Q = 50, for selectivity
  Antenna coupling = 80% of value for maximum
  gain, to limit the dependence of the circuit on
  antenna characteristics.
Let g_1 = tube conductance
                              = 500 micromhos
   g_2 = circuit conductance
   \bar{B_1} = tube susceptance = 2\pi fC = 5030
                                     micromhos
   B_2 = circuit susceptance = 200 g_2 (because
                                    Q = 200
For 80% of critical coupling,
  Conductance reflected from antenna =
                            (0.8)^2 \times (g_1+g_2)
  Total conductance =
       1+(0.8)^2 \times (g_1+g_2) = 1.64 (g_1+g_2)
  Required susceptance = 50 \times \text{total}
    conductance (for Q = 50) = 82 (g_1+g_2)
  Tube susceptance = 5030 micromhos = 10.06g_1
  Required circuit susceptance = Required
    susceptance - Tube susceptance
                      = 72 g_1 + 82 g_2 = 200g_2
```

```
Solve for g_2:
  g_2 = 0.61g_1 = 305 micromhos

B_2 = 61000 micromhos
  C_2 = B_2/2\pi f = 97 micro-micro-farads
  Total conductance
     = 1.64 (500+305)
                                 1320 micromhos
  Total susceptance
     = 105 \times 2\pi f
                             = 66000 micromhos
  Therefore, Q = 50
```

When considerations such as the range of a variable tuning capacitor call for a lower value of circuit capacitance than that determined from selectivity considerations, the same result may be obtained by connecting the grid of the tube to a tap on the

follows:

Given:

```
The gain for this circuit may be calculated as
Dummy antenna resistance = 300 ohms
Transformer secondary load = g_1 + g_2
              = 805 \text{ micromhos} = 1240 \text{ ohms}
Coupling = 80% of coupling for matched
  impedances
Transformer voltage ratio for matched impedances
                       = (1240/300)^{\frac{1}{2}} = 2.03
Ratio for 80% of this coupling
                        = 0.8 \times 2.03 = 1.62
Reflected resistance at primary terminals
                 = 1240/(1.62)^2 = 471 ohms
Fraction of signal-generator voltage
  across primary terminals
                   = 471/(471+300) = 0.61
  secondary terminals = 0.61 \times 1.62 = 0.99
```

Gain, signal generator to transformer

In the above example, the circuit conductance g2 is found as a quantity proportional to the tube conductance g1, and the total conductance, therefore, is proportional to g1. Since the gain is inversely proportional to the square root of the total conductance, it follows that the gain is inversely proportional to the square root of the tube input conductance.

The use of more than one rf stage at 100 megacycles is not common practice, but interstage circuit considerations are similar to those for an antenna coupling circuit. When a tube having a high input conductance is used as the second stage in an rf amplifier, it is generally desirable to arrange the equivalent of a step-down transformer between the plate of the first tube and the grid of the second. One simple way of accomplishing this is to use a series blocking capacitor which is small in comparison with the input capacitance of the second tube. Then, for a specified conductance reflected to the plate of the first tube, the gain to the grid of the second tube becomes inversely proportional to the square root of its input conductance.

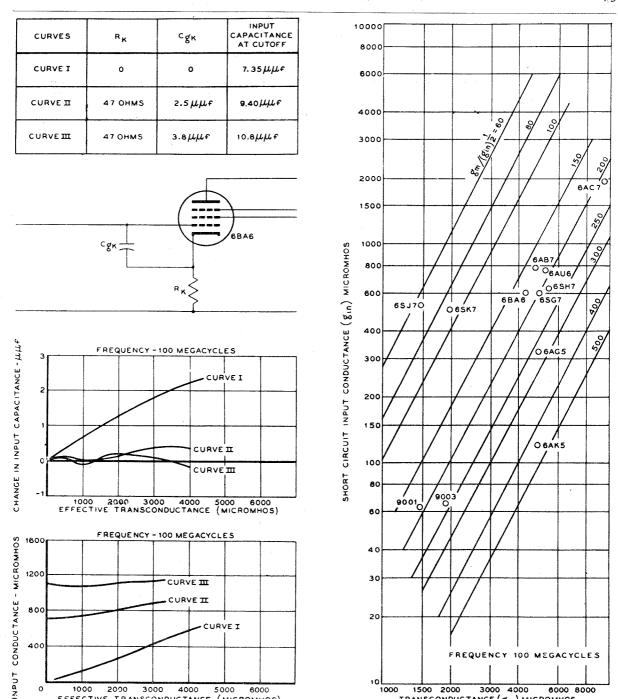


Fig. 7 — Input Admittance Data for Type 6BA6 with Unbypassed Cathode Resistor.

EFFECTIVE TRANSCONDUCTANCE (MICROMHOS)

Fig. 8 — Short Circuit Input Conductance Data for Several Tube Types.

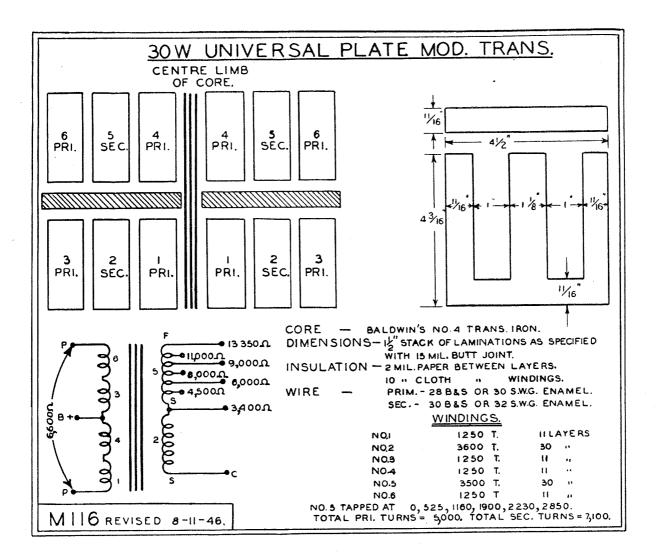
TRANSCONDUCTANCE (gm) MICROMHOS

RELATIVE FIGURE OF MERIT OF TUBE TYPES

Fig. 8 shows the short-circuit input conductance values plotted against transconductance values for the twelve types discussed in this Note. Since the lines drawn on the chart represent constant values of the quotient of the transconductance divided by the square root of the input conductance, the relations among the types with respect to this figure of merit can be readily seen. Type 6AK5 occupies the most favourable position on the chart. Types 9001 and 9003 are good in spite of their low transconductance values. Type 6AC7 occupies a favourable position on the chart because of its high transconductance even though it has the highest input conductance of any of the types tested.

The license extended to the purchaser of tubes appears in the License Notice accompanying them. Information contained herein is furnished without assuming any obligations.

30 WATT UNIVERSAL PLATE MODULATION TRANSFORMER



Constructional details are shown for a universal modulation transformer. This is the type of transformer that was used with the T202 transmitter, published in Radiotronics 120, but the secondary

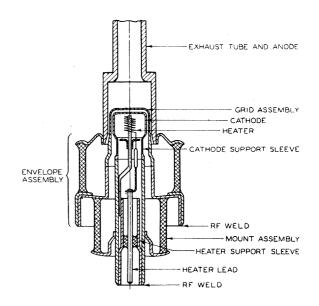
tappings are arranged so that it is suitable for use with almost any type of output stage in an amateur transmitter employing plate modulation.

New R.C.A. Releases

Radiotron type 12AU6—is a miniature r-f triple grid valve with a sharp cut-off characteristic, low grid-plate capacitance and high transconductance. The type 12AU6 is particularly useful as a limiter valve in ac/dc FM receivers.

Radiotron type 5563—is a high-voltage, three-electrode, mercury-vapour thyratron with a negative control characteristic. It is designed for power control applications in radio and industry, and may be used to provide not only voltage control but also grid-blocking control for circuit protection. When used in a 3-phase, half-wave circuit, three 5563's are capable of handling 36 kilowatts at a d.c. output voltage of about 7500 volts.

Radiotron type 5592—is a forced air-cooled power triode designed for F-M and industrial service. It has a maximum rated plate dissipation of 17.5 kilowatts and can be operated with full plate voltage and plate input at frequencies as high as 50Mc/s. Operation at frequencies up to 108Mc/s is permissible with reduced ratings.

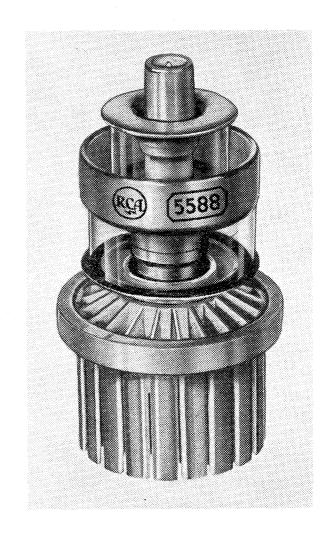


CROSS-SECTIONAL VIEW OF THE RCA-5588

Radiotron 5588

Radiotron type 5588 is a grounded-grid type of u-h-f power triode. Forced air cooling is used and the maximum rated plate dissipation is 200 watts at 1200 Mc/s. Operation at 2000 Mc/s is permissible with some reduction in maximum ratings. The 5588 features a coaxial-electrode structure designed especially for use with circuits of the radially spaced coaxial-cylinder type. The design provides low inductance, large area, r-f electrode terminals for insertion into the cylinders, and effectively isolates the plate from the cathode. It is this latter feature that makes the 5588 particularly suitable for use in grounded-grid circuits.

The maximum overall dimensions of the valve are approximately $3\frac{5}{16}''$ high and $1\frac{3}{4}''$ diameter, measured across the plate ring.



Modifications to Published Valve Data

Radiotron type 2V3-G—the overall length becomes $4-5/16'' \pm 5/32''$ and the seated length $3\frac{3}{4}'' \pm 5/32''$.

Radiotron type 3FP7-A—an increase in the minimum useful screen diameter from $2\frac{1}{2}$ " to $2\frac{3}{4}$ " has been made possible by an improved screen-processing technique.

Radiotron type 5TP4—under maximum ratings the peak-heater cathode voltage was published as 175 max. volts when the heater is negative with respect to the cathode, and 10 max. volts when the heater is positive with respect to cathode. These ratings remain unchanged except for an additional rating when the heater is negative with respect to the cathode. Under this latter condition the peak heater-cathode voltage can be 410 max. volts during an equipment warm-up period not exceeding 15 seconds. After the warm-up period the heater should not be more than 175 max. volts negative with respect to cathode. The heater should never be positive with respect to the cathode by more than 10 max. volts at any time including the warm-up period.

The outline drawing has been modified by the addition of an external conductive coating concentric ring at the face-end of the bulb-cone. The ring edge nearest the face plate is $\frac{3}{4}'' \pm \frac{3}{16}''$ from the face plate exterior along the centre line; the other edge of the ring is $1\frac{1}{2}'' \pm \frac{3}{16}''$ from the face plate exterior along the centre line.

Radiotron type 7DP4—the peak heater-cathode ratings have been altered in exactly the same manner as for type 10BP4, as quoted below.

Radiotron type 7GP4—the peak heater-cathode ratings have been altered in exactly the same manner as for types 10BP4 and 7DP4.

Radiotron type 10BP4—the peak heater-cathode voltage was previously published as 125 max. volts when the heater was either positive or negative with respect to cathode. This is now modified to include a heater-cathode rating for an equipment warm-up period, not exceeding 15 seconds, of 410 max. volts when the heater is negative with respect to cathode.

After warm-up the ratings are as before. When the heater is positive with respect to cathode 125 max. volts applies at all times and is not modified during the warm-up period.

A further modification is that in the outline drawing the diameter of external uncoated area around the cap changes from $3\frac{1}{4}'' \pm \frac{1}{4}''$ to $4\frac{1}{4}'' \pm \frac{1}{4}''$.

Radiotron type 827R—the radiator height shown in the outline drawing has been altered from $2\frac{5}{8}$ " (approx.) to 2-37/64" $\pm \frac{1}{16}$ ".

Mutual Conductance Valve Tester

We have, for a number of years past, encouraged the use of mutual conductance valve testers for service testing. One interesting design which is now being widely used is the Hickok, which is described with a circuit diagram and other details in "Service", Vol. 16, No. 3 (March, 1947), page 2.

This is an all a.c. design, which suffers from the usual limitations of such types in that the readings are the average over a wide swing of the characteristics, and not those at a precise point. It is, however, sufficiently accurate for end-of-life testing in service work. A more serious defect is that the grid swing is so large that small high-mu valves, such as type 1H5-GT, are tested in the region far above the normal working point, so that the nett result is much more like an emission test.

By and large, however, this is a valuable addition to the range of valve testers. It is simpler to operate than the Avo valve tester, although the latter is preferable for accuracy. Other types of a.c. mutual conductance valve testers are also being manufactured in U.S.A. and elsewhere and are worthy of careful investigation by those interested.

One word of warning—all so-called "mutual conductance" valve testers are not necessarily in accordance with the advertisements. We would be happy to advise any of our clients regarding the merits of any particular design.